

## Behavior of Community Self-Organizing Map

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### 1. Introduction

The Self-Organizing Map (SOM) has attracted attention for the study on clustering in recent years. Meanwhile, in human society, there is a fascinating story that human-beings belong to sub-society, which is called community, and are called social animals. Furthermore, the community is created around the leader of the community. In this study, we propose Community Self-Organizing Map (CSOM) which is a new SOM algorithm. In CSOM algorithm, the neurons create some communities according to their winning frequency. We apply CSOM to various input data for clustering.

### 2. Community Self-Organizing Map

In CSOM algorithm, the neurons create some communities according to their winning frequency. Furthermore, the community is created around the leader of the community.  $M$  neurons are arranged as a regular 2-dimensional grid. A winning frequency  $W_i$  ( $i = 1, 2, \dots, M$ ) is associated with each neuron  $i$  and is initially set to zero:  $W_i = 0$ . The number of members in each community  $C_k$  and the number of communities  $n$  are zero. Before learning, the all neurons do not belong to any community, however, they gradually belong to a community with learning.

(CSOM1) An input is given to all the neurons at the same time in parallel.

(CSOM2) Find a winner  $c$  by calculating a distance between the input vector  $\mathbf{x}_j$  ( $j = 1, 2, \dots, N$ ) and the weight vector  $\mathbf{w}_i$  of each neuron  $i$ . The winner neuron  $c$  is the neuron with the weight vector nearest to the input vector  $\mathbf{x}_j$ . Update the weight vectors of all the neurons. If half time of the learning is over, increase the winning frequency of the winner  $c$  by

$$W_c^{\text{new}} = W_c^{\text{old}} + 1, \quad (1)$$

and perform (CSOM3). If not, perform (CSOM8).

(CSOM3) Evaluate whether the winner  $c$  satisfies the condition of the winning frequency to update the community information. If  $W_c > W_{\text{th}}(t)$  is satisfied, perform (CSOM4). If not, perform (CSOM8) without updating the community information.  $W_{\text{th}}(t)$  is the threshold value and increases with learning as

$$W_{\text{th}}(t) = \frac{t}{2M}. \quad (2)$$

(CSOM4) Find a community  $C_k$  including the winner  $c$ . If winner  $c$  does not belong to any community, create a new community,  $n^{\text{new}} = n^{\text{old}} + 1$ , and affiliate the winner  $c$  to new community  $C_k$  as  $c \in C_k$  (where  $k = n^{\text{new}}$ ). If not,  $c$  remains in its community  $C_k$ .

(CSOM5) Find a leader  $l_k$  which has become the winner most frequently among the all neurons belonging to  $C_k$ , according to Eq. (3).

$$l_k = \arg \max_i \{W_i\}, \quad i \in C_k. \quad (3)$$

(CSOM6) Find the neurons, whose winning frequencies are higher than  $W_{\text{th}}(t)$ , in 1-neighborhood of the winner  $c$ , then consider whether they belong to any community. If this neighborhood neuron belongs to any community, perform (CSOM7). If not, affiliate it to the community  $C_k$

including the winner  $c$ , update the leader  $l_k$  as (CSOM5) and perform (CSOM8).

(CSOM7) Compare the winning frequencies of two leaders between the community including the winner and the community including winner's neighborhood neuron. Without loss of generality, assume that the winner  $c$  belongs to  $C_1$  and its neighborhood neuron belongs to  $C_2$ . The leaders of  $C_1$  and  $C_2$  are assumed as  $l_1$  and  $l_2$ , respectively. If  $W_{l_2} \geq W_{l_1}$ , the neighborhood neuron keeps on belonging to  $C_2$ . If not, the neighborhood neuron belonging to  $C_2$  is absorbed into  $C_1$ . Then, in a specific case, if the neighborhood neuron is the leader  $l_2$  in the community  $C_2$ , all the neurons belonging to  $C_2$  are absorbed into  $C_1$  and decrease the number of communities as  $n^{\text{new}} = n^{\text{old}} - 1$ .

(CSOM8) Repeat the steps from (CSOM1) to (CSOM7) for all the input data.

(CSOM9) After all learning are finished, check whether  $W_i > 0.8 \times T/M$  for each particle  $i$ . If this is not satisfied, remove the particle  $i$  from the community including it.

### 3. Application to Clustering

We consider 2-dimensional input data shown in Fig. 1(a). The simulation results of the conventional SOM and CSOM are shown in Figs. 1(b) and (c), respectively. In Fig. 1(c), we can see that the number of communities is the same as the number of clusters. Furthermore, only the neurons, which self-organize the area where the input data are concentrated, create the communities. Therefore, we can see the number of clusters by investigating the number of communities.

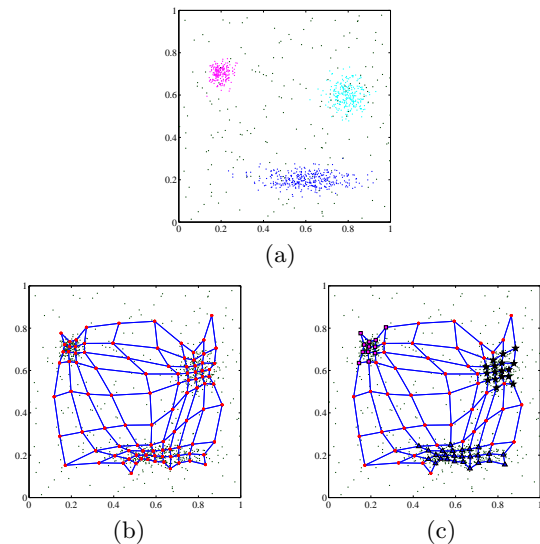


Figure 1: Simulation results for 2-dimensional input data. (a) Input Data. (b) Conventional SOM. (c) CSOM.  $\bullet$ ,  $\circ$ , and  $\square$  denote neurons belonging to the largest community  $C_1$ , the second community  $C_2$  and the third largest community  $C_3$ , respectively.

### 4. Conclusions

In this study, we have proposed CSOM. We have investigated its behavior and have confirmed that the number of communities is the same as the number of clusters.